

Dynamic Bayesian Network WITH PITCH AND ENERGY AS Based Speech Recognition Auxiliary Variables

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Recognition with Pitch and Energy as Auxiliary DYNAMIC BAYESIAN NETWORK BASED SPEECH VARIABLES

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Bayesian networks (DBNs), resulting in more flexibility in defining the topology of the emission marginalizing out these features in recognition. nition (ASR), they usually result in a significant degradation on recognition performance due to distributions and in specifying whether variables should be marginalized out. hidden Markov models (HMMs), this work has been performed in the framework of dynamic this can be corrected by either conditioning the emission distributions upon these features or by the noise inherent in estimating or modeling them. In this paper, we show experimentally how in human speech recognition. However, when incorporated as features in automatic speech recog-Abstract. Pitch and energy are two fundamental features describing speech, having importance Since this is not obvious to do with standard

tively. Andrew Morris provided useful insight into missing feature theory. **Acknowledgements**: Todd A. Stephenson and Mathew Magimai-Doss are supported by the Swiss National Science Foundation under grants FN 2000-064172.00/1 and FN 2100-057245.99/1, respec-

1 Introduction

degradations caused by using pitch and energy has been to not use them at all in any part of developing falsely assuming what their underlying distribution is. Traditionally, the remedy to the performance included with these standard MFCCs in the acoustic feature vector as they have been found to often The choice of the acoustic features has a large impact on ASR performance. Mel-frequency cepstral coefficients (MFCCs) are one type of acoustic feature that has proven to provide good recognition. degrade performance. This degradation could be explained by either difficulty in estimating them or While also being strongly relevant to speech recognition, features for pitch and energy are not usually

the emission of each x_n at time frame n: $Q = \{q_1, \dots, q_n, \dots, q_N\}$, where each state q_n can take one of K discrete values: $\{1, \dots, k, \dots, K\}$, Acoustic modeling in ASR, therefore, considers for time frames n = 1, ..., N, the sequence of acoustic vectors $X = \{x_1, ..., x_n, ..., x_N\}$, associated with a sequence of hidden, discrete states, each of these being associated with a specific probability distribution. Each distribution then models

$$p(x_n|q_n) \tag{1}$$

tional variable a_n , here referred Usually, attempts to use pitch or energy information in ASR were associating with each x_n an addi- $A = \{a_1, \dots, a_n, \dots, a_N\}$. ASR was then performed by incorporating a_n in the emission distribution: to as an "auxiliary variable," yielding the

$$p(x_n, a_n|q_n). (2)$$

However, this usually degraded the recognition.

information that is not itself important for recognition but which has an impact on x_n . auxiliary variables, we investigate here two approaches to properly using them in ASR: =z and can be either pitch or energy values. We call a_n an auxiliary variable as it contains While a discrete valued a_n is possible, we consider continuous valued a_n , which can have value With these

1. Conditioning the distribution of x_n upon a_n , as done in [3]. That is, using emission distributions of the form:

$$p(x_n|q_n, a_n), (3)$$

where a_n appears as a continuous conditional variable.

Training with a_n but marginalizing it out (i.e. hiding it) in recognition, for example, in the case of (2) with continuous a_n :

$$p(x_n|q_n) = \int p(x_n, a_n|q_n) \, \mathrm{d}a_n \tag{4}$$

We note here that this is similar in spirit to work done in missing feature ASR [9], which marginalizes out features that are assumed to be corrupted by noise. In the simplest case, it ignores the noisy dimensions of the feature vector in calculating the emission likelihood.

distributions can be summed for each time frame, in a parallel manner to the integration in (4). gender-having a distribution for males and a distribution for females, based on (3). The distribution These two approaches resemble what has already been done in the case of a discrete a_n representing gender [4]. One method of using gender modeling involves conditioning the distribution of x_n upon the giving the highest likelihood when inserted into the ASR system is then used. Alternatively, the two

are closely related to HMMs but are a more general framework that allows both the topology and the distributions to be easily modified (e.g., using (3) instead of (2)). Additionally, they allow the data to In this paper, we use DBNs as our framework for research into auxiliary variables with ASR. They

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used the same training database and similar features but with single (conditional) Gaussians. In Section 2 we will go into more detail about how a_n can be incorporated using the approaches be arbitrarily hidden, thus marginalizing it out, as in (4). This work builds upon that of [11], which

experimental results. We conclude in Section 6. then gives more details of these pitch and energy auxiliary features, followed in Section 5 by the proposed above. We do this work in the context of DBNs, which are explained in Section 3. Section 4

2 Auxiliary Information

distributions might be modeled. We also propose an assumption that a_n needs to be marginalized out features. Here we propose that x_n needs to be dependent upon a_n ; we then show how the resulting With both standard features x_n (MFCCs in this work) and auxiliary features a_n (either pitch or energy in recognition for certain cases. in this work) for time frame n, different statistical independence assumptions can be made between

Conditional Auxiliary Information

Gaussian distribution with mean vector μ_k^x and covariance matrix Σ_k^x for each state $q_n = k$: In standard ASR, the distribution of x_n is dependent only on the discrete hidden state q_n , using a

$$p(x_n|q_n = k) \sim \mathcal{N}_x(\mu_k^x, \Sigma_k^x) \tag{5}$$

that of (6), (7), and (9) below, is based on Gaussian mixtures in our experiments, as is typically done along the diagonal. This implies that there is no statistical correlation between the dimensions within in ASR. The exception here is that we always model a_n with a single Gaussian. the Gaussian and, thus, reduces the complexity of the system. This Gaussian distribution, as well as Σ_k^x is normally assumed to be a diagonal covariance matrix, thus containing non-zero elements only

feature vector x_n , thus producing the Gaussian: In attempting to add a_n to the ASR models, the simplest manner is to append it to the standard

$$p(x_n, a_n | q_n = k) \sim \mathcal{N}_{x,a}(\mu_k^{x,a}, \Sigma_k^{x,a})$$
 (6)

with x_n . So, we propose that, conversely, there may be correlation between x_n and an a_n of either fundamental features of speech, that it may be a very erroneous to assume that they are uncorrelated for example, between MFCCs and pitch/energy: the MFCCs are assumed to have pitch and energy thus suggesting that there is no correlation between a_n and x_n . This is indeed the assumption. pitch or energy that needs to be modeled. removed (assuming that the zeroth coefficient is not used). However, these auxiliary features are such With standard approaches, this would also assume a diagonal covariance in the expanded Gaussian,

DBN framework, it should have the necessary operators for distributions in DBNs: marginalization regression) or non-linear methods (e.g., ANN). Furthermore, in order to be incorporated into the full adapts itself to the continuous value $a_n =$ there may be many viable approaches to modeling (3). If we had been using a discrete valued a_n with Z discrete values, a straightforward way would have been to have $K \cdot Z$ Gaussians for each there are many approaches to modeling (1), such as Gaussians and artificial neural networks (ANNs), to fewer dimensions, combination with other like distributions, etc. ANNs in [4]. However, with a continuous valued a_n , we need a distribution for value $q_n = k$ which of the possible values of $(q_n = k, a_n = z)$, thus resembling the approach to gender modeling with a_n , as in (3). However, the modeling of $p(x_n|q_n=k,a_n=z)$ is not a straightforward task. to x_n as above. To model the correlation between x_n and a_n , we therefore propose that a_n should not be appended Rather, the distribution for x_n should be conditioned upon the continuous value of Ņ This adaptation could involve linear methods (e.g.,

into the DBN framework [5] and have also been recently proposed by others in ASR research [3]: We have chosen to represent (3) as conditional Gaussians, which have already been incorporated

$$p(x_n|q_n = k, a_n = z) \sim \mathcal{N}_x(u_k, \Sigma_k^x), \tag{7}$$

this distribution to calculate the emission likelihoods assumes that a_n itself is independent of q_n , that is, $p(a_n|q_n) = p(a_n)$. (In the implementation, (7) is actually multiplied by this value $p(a_n)$). the same Σ_k^x will be used no matter what value of u_k is computed using the regression. Using only where x_n is modeled by a Gaussian whose mean is itself a regression on the mean of x_n and the value of a_n : $u_k = \mu_k^x + B_k^T z$. The weight on μ_k^x itself is 1 while B_k is the matrix containing the weights upon z, the value of a_n . A drawback of this distribution is that Σ_k^x itself is not dependent upon z; so,

upon q_n , as was done in (6). This would be done if the evolution of A was assumed to be dependent upon that of Q. A simple way to model a_n would be to use a Gaussian for each $q_n = k$: However, with (7) we do have the further possibility of whether a_n itself should be conditioned

$$p(a_n|q_n = k) \sim \mathcal{N}_a(\mu_k^a, \Sigma_k^a). \tag{8}$$

Thus, the product of (7) and (8) would be used to compute the joint emission likelihood of x_n and

$$p(x_n|q_n = k, a_n) \cdot p(a_n|q_n = k) \sim \mathcal{N}_x(u_k, \Sigma_k^x) \otimes \mathcal{N}_a(\mu_k^a, \Sigma_k^a), \tag{9}$$

between (9) and (6) is that we have here accounted for the correlation between x_n and a_n . where \otimes is the combination operator for (conditional) Gaussians, as defined in [7]. The difference

Marginalized Auxiliary Information

the noisy A. We can, therefore, obtain the distribution only for x_n by hiding, and, thus, integrating with conditional Gaussians, the emission distributions (7) and (9) may as well have problems with marginalizing it out of the emission distribution. In the case of the emission distribution (6), where for a single utterance. Using the estimated A (the "observed" A) in the emission distributions may be noisy, the training has the advantage of having a large amount of data over which it can extract relevant statistics. However, in recognition, there may be a lot of noise associated with the A presented order to better estimate the parameters in the models. While the data or its supposed model may in recognition. Likewise, we propose a similar idea with auxiliary information. We still would want a_n is appended to the feature vector, (4) illustrates this marginalization. After having been trained produce a faulty likelihood. In such a case, it may be better to hide the A, which is accomplished by to use the auxiliary information in training so as to extract useful statistical information from it in Missing feature theory in ASR [9] has proposed to marginalize out those features which are noisy

$$p(x_n|q_n) = \int p(x_n, a_n|q_n) \, da_n = \int p(x_n|q_n, a_n) \cdot p(a_n|q_n) \, da_n$$
 (10)

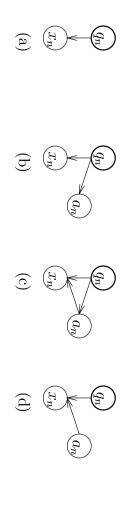
$$\approx \int p(x_n|q_n, a_n) \cdot p(a_n) \, \mathrm{d}a_n. \tag{11}$$

we assume that $p(a_n) = p(a_n|q_n)$. where (10) applies to (9), where a_n is dependent upon q_n and (11) applies to the case of (7), where

3 Dynamic Bayesian Networks

in structuring the topology of the distributions and in allowing variables to arbitrarily be observed or hidden. HMMs can also model the same distributions and can have observed or hidden variables; In our work, we incorporated auxiliary features in the DBN framework as it allows more flexibility

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catenated a_n ; (c) for ASR with x_n conditioned on a_n and a_n conditioned on q_n ; (d) for ASR with x_n conditioned on a_n . Based on (5), (6), (9), and (7), respectively. Figure 1: Portions of DBNs for time frame n (discrete variables having bold vertices), as initially proposed in [13]: (a) for standard HMM-based ASR; (b) for standard HMM-based ASR with con-

DBNs are and how they are visualized when using auxiliary information in ASR. the specification of hidden versus observed variables to be changed easily. So, we here outline what however, they lack the generality in their algorithms that allows the topology of the distributions and

of three items: As illustrated in Figure 1, a DBN (a type of graphical model [1]) is a probabilistic model composed

- 1. A set of variables $V = \{v_1^1, \dots, v_1^w, \dots, v_1^W, \dots, v_N^1, \dots, v_N^w, \dots, v_N^w\}$. That is, there are W variables, each of which is modeled over the N time frames. The variables in the DBNs in Figure 1 are $\{q_1, a_1, x_1, \dots, q_N, a_N, x_N\}$.
- Σ each $v_n^w \in V$. A directed acyclic graph (DAG), with a one-to-one mapping between each of its vertices and
- ယ For each $v_n^w \in V$, a local probability distribution which is conditioned upon the values of its parents in the DAG:

$$P(v_n^w|\text{parents}(v_n^w)).$$
 (12)

 $p(x_n|q_n, a_n)$, which is the same as (7). For example, the local probability distribution of x_n in Figure 1 (c) is $p(x_n|parents(x_n)) =$

The joint distribution of V is then defined as the product of all the local probability distributions:

$$P(V) = \prod_{v_n^w \in V} P(v_n^w | \text{parents}(v_n^w))$$
(13)

having continuous parents, the conditional Gaussian's mean is a regression on the mean of v_n^w itself will be a (conditional) Gaussian for each possible instantiation of the discrete parents. In the case of parents or by a conditional Gaussian if it has continuous parents; if there are discrete parents, there For a discrete v_n^w with zero or more discrete parents, its local probability distribution is defined by and on the values of the continuous parents. For a continuous v_n^w , its local probability distribution is defined by a Gaussian if it has no continuous a table of discrete probabilities (it is not allowed to have any continuous parents in this framework).

expected counts in expectation-maximization (EM) training [6] for learning the discrete probabilities continuous or discrete valued. The computed posterior marginal distributions can be used for the of the observation $p(a_n = 2.5)$. would give the posterior marginals of $P(q_n|a_n =$ example, if in the DBN in Figure 1 (c), we have the observation $a_n = 2.5$, the inference algorithm We use the inference algorithm in [7] to compute $P(v_n^w|O)$, the posterior marginal distribution of v_n^w given all of the observations O, as well as P(O|V), the likelihood of the observations. For $P(\cdot)$, the means μ , the regression weights B, and the covariances Σ Any variable can be observed or hidden, regardless of whether it is 2.5) and $p(x_n|a_n)$ = 2.5) as well as the likelihood

DBN	Eq	Mix	Obs. Pitch	Hid. Pitch
Figure 1 (a) (Baseline)	(5)	4	5.9%~(21k)	(21k)
Figure 1 (a) (Baseline)	(5)	6	4.3%~(32k)	(32k)
Figure 1 (b)	(6)	4	$60.5\%~(22\mathrm{k})$	19.2% (21k)
Figure 1 (c)	(9)	4	48.9%~(32k)	6.2% (21k)
Figure 1 (d)	(7)	4	$5.3\%~(32{ m k})$	$6.0\%~(21 \mathrm{k})$

vector (except that a_n has a single Gaussian). Equations (9) and (7) use conditional Gaussians, with only x_n while (6) is equivalent to standard HMM-based ASR using x_n and a_n in a single feature has a single Gaussian) are also given. Equation (5) is equivalent to standard HMM-based ASR using variable. The labels of the underlying equations and the number of Gaussian mixtures for x_n (a_n comparisons against the respective baseline system. distribution. Systems with a similar number of parameters are to be grouped together for performance (7) treating a_n as independent of q_n . With "hidden" a_n , we are marginalizing it out of the emission Table 1: Pitch. Word error rates (WERs) (and number of parameters) using Pitch as an auxiliary

19.4% (21k)	5.9% (32k)	4	(7)	Figure 1 (d)
5.9%~(21k)	27.4% (32k)	4	(9)	Figure 1 (c)
6.3%~(21k)	28.9% (22k)	4	(6)	Figure 1 (b)
(32k)	4.3%~(32k)	9	(5)	Figure 1 (a) (Baseline)
(21k)	$5.9\%~(21 m{k})$	4	(5)	Figure 1 (a) (Baseline)
Hid. Energy	Obs. Energy	Mix	Eq	DBN

as in Table 1 Table 2: Energy. Word error rates (WERs) using short-term energy as an auxiliary variable, presented

Pitch and Energy as Auxiliary Variables

In a first set of experiments, the auxiliary variable a_n was defined as the pitch value at time frame n. In our case, this pitch value, which we defined here as being the fundamental frequency F_0 , was estimated using the simple inverse filter tracking (SIFT) algorithm [8], which is based on an inverse techniques. The speech signal is prefiltered by a low pass filter with a cut-off frequency of 800 Hz, and the output of the filter is sampled at 2 kHz before computing the inverse filter coefficients using the filter formulation. This method retains the advantages of the autocorrelation and cepstral analysis Durbin algorithm. While a fundamental property of the speech signal, it is a hard feature to estimate. Thus, any estimation of pitch will have inherent noise in it.

was computed as follows: In a second set of experiments, the auxiliary variable a_n was defined as the short-term energy and

$$a_n = \frac{1}{C} \sum_{t=1}^{T} s_n^2[t] \cdot w^2[t]$$
 (14)

manageable values for the short-term energy. It is straightforward to estimate in clean speech but where $\{s_n[1], \dots, s_n[t], \dots, s_n[T]\}$ is the speech signal of T samples associated with time frame n, and $\{w[1], \dots, w[t], \dots, w[T]\}$ is a Hamming window, and C is a normalizing constant used to give harder to estimate in noisy speech.

5 Experiments

four types of DBN systems to do speaker-independent, task-independent, small vocabulary (75 words) Using the PhoneBook telephone speech corpus [10] with the small training set defined in [2], we train

tested two times on the test utterances defined in [2]. well as initial silence and end silence models. Training was done using the EM algorithm, using a convergence criterion of stopping one iteration after the log-likelihood of the training data increased isolated-word recognition. There are 41 context-independent, three-state phones in these systems, as by less than 0.1% over that of the previous iteration. Each system with auxiliary information was

MFCC and ΔC_i is its approximate first derivative. composed of the following MFCC elements: $C_1, \ldots, C_{10}, \Delta C_1, \ldots, \Delta C_{10}, \Delta C_0$, where C_i is the *i*th sampled at 8 kHz, using a window of 25 ms with a shift of 8.3 ms for each successive frame. x_n is Similarly to [13], mel-frequency cepstral coefficients (MFCCs) are extracted from the speech signal,

that it was not our intention to find the number of mixtures which gives each system its optimum essentially the same structure and parameters as a baseline; the difference is that the parameters have been trained using an auxiliary variable. This is the reason for two baseline systems: for comparing baseline x_n -only systems, are given in Tables 1 & 2, respectively. When marginalizing over a_n , its parameters are removed, having been merged into the parameters for x_n , as shown in (4), (10), in the number of parameters. performance. Rather, within each set of experiments, we wanted to have systems that were comparable against a baseline system, we use a system that has the same effective number of parameters. We note parameters than when A is observed. Therefore, with A marginalized out in an auxiliary system, it has The recognition results where a_n is pitch and where a_n is short-term energy, as well as for the Thus, the WERs with hidden (marginalized out) A show a lower effective number of

Furthermore, they show the great improvement we can achieve by letting a_n condition x_n 's emission distribution. That is, by using a conditional Gaussian for x_n , as in (7), instead of (6), we decreased the WER by a relative 91% (60.5% to 5.3%) for pitch and 80% (28.9% to 5.9%) for energy. It is These results confirm the difficulty in incorporating auxiliary information in the traditional way, using (6), which provides a very poor recognition WER of 60.5% for pitch and 28.9% for energy. the system with (7) where observed pitch or energy auxiliary information provides its most promising

was just defined using the mean (and variance) of a_n across all of the training data. Using a global performance. As this is done using (11), the prior $p(a_n)$ is used, which was not learned in training but Moreover, marginalizing out a_n on the systems using (9) "recovers" the performance of the baseline of the poorly performing systems, those using (6) or (9), with pitch or energy auxiliary information. mean for a_n may have introduced problems in computing the marginals. system with four mixtures. Marginalization (i.e., using hidden auxiliary information) dramatically increases the performance Marginalization of those using (7), however, has a negative effect on

6 Conclusion

auxiliary information does bring improvement [12]. So continuous auxiliary information, as was used in the current work, still has the potential to improve over the baseline within the current framework the results here do not improve over the baseline approach, earlier results showed how discretized pitch though it is not yet perfect, the results reported here demonstrate the validity of this approach. While We have presented a new approach for properly including auxiliary variables in standard ASR. Al-

 a_n conditioned upon q_n may prove to be more robust; these could be used, for example, to have a_n instead of just single Gaussians. Finally, equivalence classes (a form of parameter tying [13]) to model of the energy, using a longer-term energy, or in using the energy of a frequency sub-band (as done More work is now required using continuous auxiliary variables. First, we need to improve the estimation of the auxiliary variables. For example, with energy, this could involve using the logarithm conditioned on broad classes of q_n , such as vowels and consonants, thus having a hybrid between (9) Second, better distributions (e.g. Gaussian mixtures) may be needed to better model a_n

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